

Evolution Of Co-operation and
defection when the strategies are
hidden:
The human mating game.

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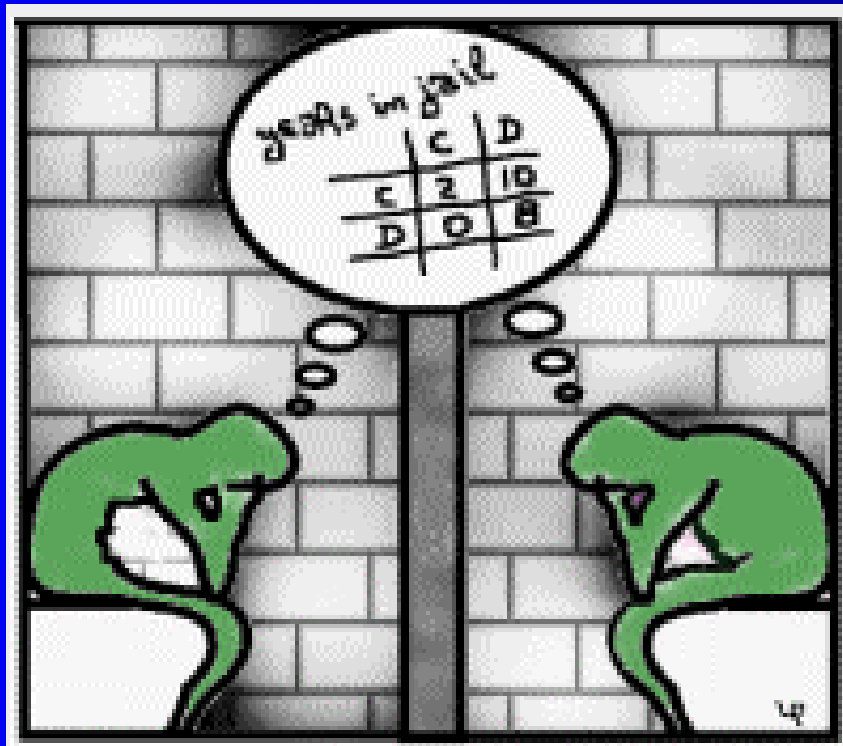
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Recombination: The origin of creativity

Co-Operation in Prisoners' Dilemma



- non-iterated games - Classical Prisoner's dilemma

Defection alone is the Evolutionary Stable Strategy (ESS)

Stability of co-operation in Iterated PD

- Tit-for-Tat and reciprocity
- 2nd order free riders – A major problem in reciprocity
- Solutions depend upon strategies and payoffs of previous games

What if strategies and payoffs remain hidden?

The hidden strategy games.
Example: Mating in species with
biparental care.

- In such species, fidelity is co-operation
- Cuckoldry or opportunistic extra pair mating is defection
- Cuckoldry and its genetic effects remain hidden most often from the partner and from the society.
- Even the player may not be completely aware of the payoffs

Different types of benefits for males and females.

- Both have some benefit in defecting
- Males gain quantitatively-increased no. of offspring
- Females gain qualitatively-better quality offspring, sexy son?

Would cuckoldry be an ESS?

Intra-gender Variability

- Not all are involved in Extra Pair Mating – data from birds and humans
- Sources of intra-gender variability:
 - Intrinsic – all are not equally interested in EPM
 - Extrinsic – all don't get opportunity to EPM
- Evolutionary psychology hasn't explained intra-gender variability adequately – particularly if it is intrinsic

Counterstrategies against cuckoldry

- Mate guarding as a counterstrategy to reduce EPM – data from birds and humans
- Can mate guarding stabilize monogamy in the population ?
- No: says data and the model results below

Language and social policing

- In humans too: opportunistic EPM tendency seen in both sexes.
- Language and gossip play major role – unique to humans.
- Co-operative mate guarding and social policing enabled by gossip.
- Cost of social policing lower than individual mate guarding.

Problem of 2nd order free riders in social policing.

BLACKMAILING ! A Wonder Strategy

- An opportunistic act
- Low probability but high gain
- Direct returns to policing individual
- Makes policing a non-altruistic act

Probabilistic Non- Altruistic Punishment:

On a rare occasion of “caught red-handed”

- Deserting adulterous partner with advertisement
- Accept defection and continue partnership

(Probability of getting a 2nd partner) X (higher expected genetic gain) > (Suckers payoff: Reduced reproductive success)

Deserted individual gets a bad reputation: Social sanctions with no altruistic element

The Model

All players socially monogamous genetically Mono/Poly

- Player 1: Mono, Non-guarding, Non-policing
- Player 2: Mono, Non-guarding, Policing, Blackmailing
- Player 3: Mono, Guarding, Non-policing
- Player 4: Mono, Guarding, Policing, Blackmailing
- Player 5: Poly, Non-guarding, Non-policing
- Player 6: Poly, Non-guarding, Policing, Blackmailing
- Player 7: Poly, Guarding, Non-policing
- Player 8: Poly, Guarding, Policing, Blackmailing

Assumptions of the model

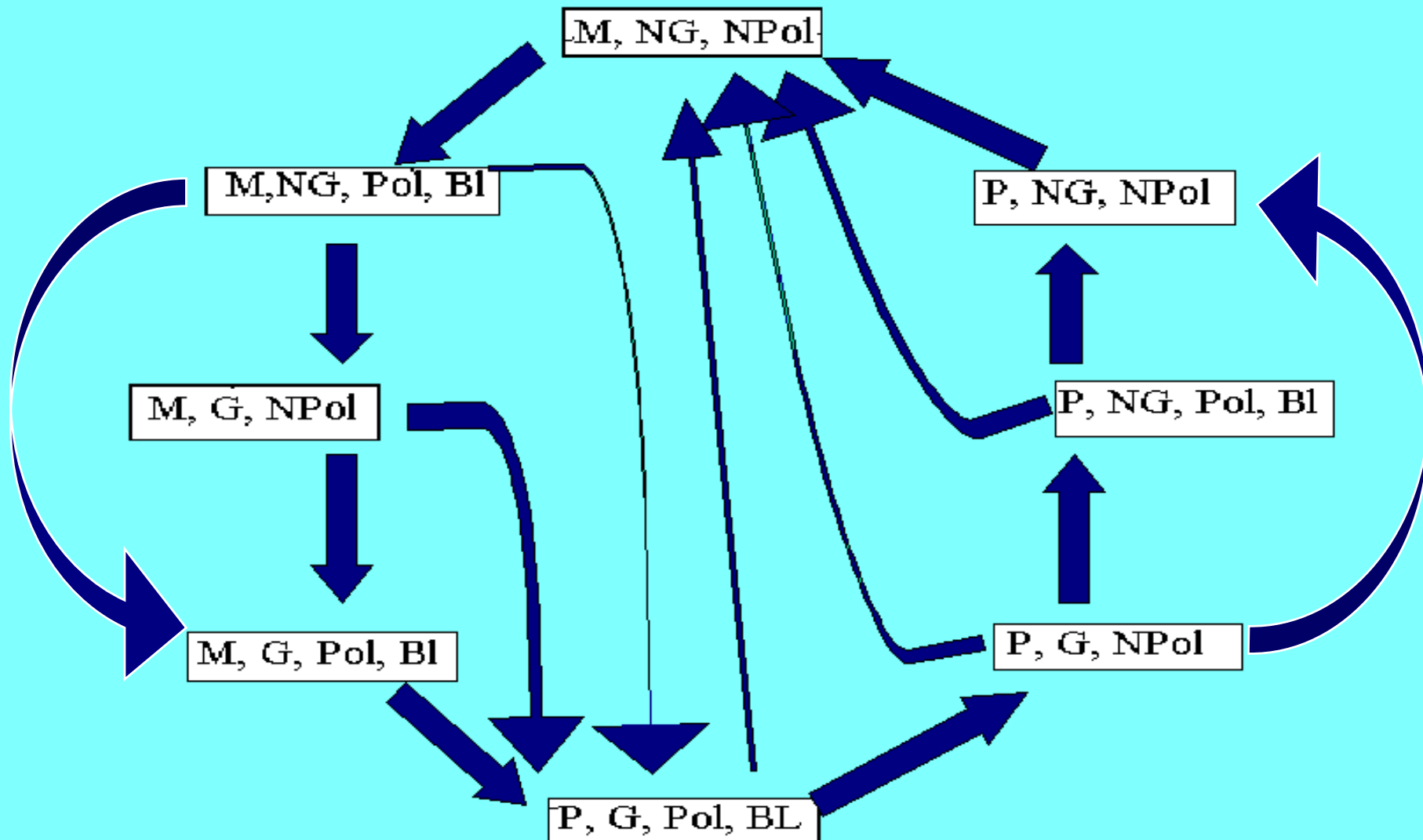
The baseline fitness of a strictly monogamous pair is 1

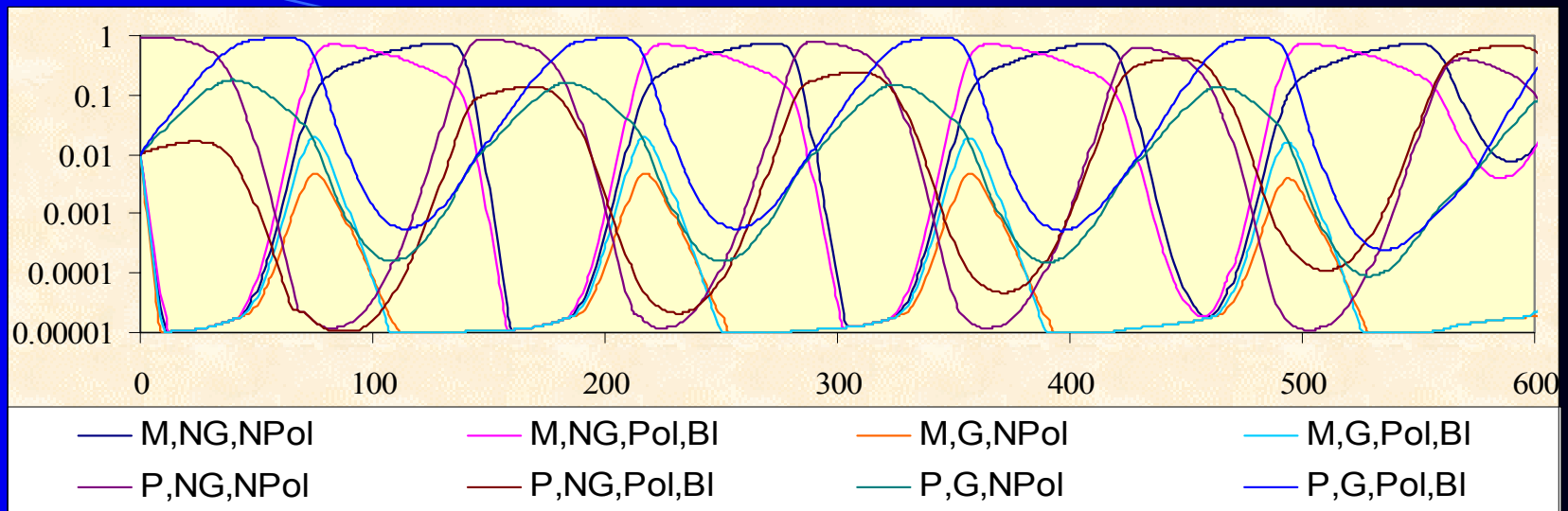
- pc = cost of policing
- gc = cost of guarding ($pc < gc$)
- α = common benefit of policing in terms of reduction in loss due to cuckoldry
- β = reduction in benefit of cuckoldry due to policing
- Z = advantage of EPM
- L = genetic loss due to cuckoldry by partner
- S = benefit of guarding ($S > gc$)
- BP = average probabilistic benefit to blackmailer ($BP > pc$)
- BB = average probabilistic loss due to blackmailing/punishment ($BB > BP$)

The payoff matrix

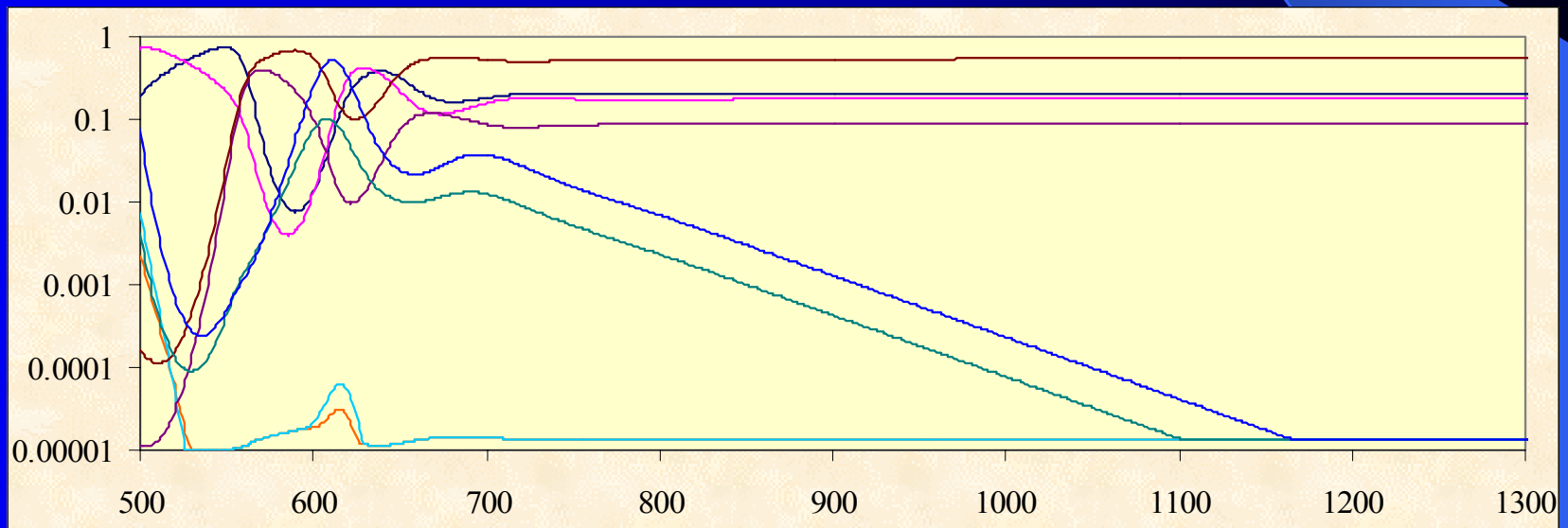
	M,NG,Npol	M,NG,Pol, BI	M, G, NPol	M,G,Pol,BI	P, NG, Npol	P,NG, Pol, BI	P, G, Npol	P, G, Pol, BI
M,NG,Npol	1	1	1	1	$1-(L^*(1-\alpha^*pol))$	$1-(L^*(1-\alpha^*pol))$	$1-(L^*(1-\alpha^*pol))$	$1-(L^*(1-\alpha^*pol))$
M,NG,Pol, BI	$1-pc+BP^*Poly$	$1-pc+BP^*Poly$	$1-pc+BP^*Poly$	$1-pc+BP^*Poly$	$1-(L^*(1-\alpha^*pol))-pc+BP^*Poly$	$1-(L^*(1-\alpha^*pol))-pc+BP^*Poly$	$1-(L^*(1-\alpha^*pol))-pc+BP^*Poly$	$1-(L^*(1-\alpha^*pol))-pc+BP^*Poly$
M, G, NPol	1-gc	1-gc	1-gc	1-gc	$1-(L^*(1-\alpha^*pol-S))-gc$	$1-(L^*(1-\alpha^*pol-S))-gc$	$1-(L^*(1-\alpha^*pol-S))-gc$	$1-(L^*(1-\alpha^*pol-S))-gc$
M,G,Pol,BI	$1-gc-pc+BP^*Poly$	$1-gc-pc+BP^*Poly$	$1-gc-pc+BP^*Poly$	$1-gc-pc+BP^*Poly$	$1-(L^*(1-\alpha^*pol-S))-gc-pc+BP^*Poly$	$1-(L^*(1-\alpha^*pol-S))-gc-pc+BP^*Poly$	$1-(L^*(1-\alpha^*pol-S))-gc-pc+BP^*Poly$	$1-(L^*(1-\alpha^*pol-S))-gc-pc+BP^*Poly$
P, NG, Npol	$1+(Z^*(1-\beta^*pol))$	$1+(Z^*(1-\beta^*pol))-BB$	$1+(Z^*(1-\beta^*pol-S))$	$1+(Z^*(1-\beta^*pol-S))-BB$	$1+(Z^*(1-\beta^*pol))-(L^*(1-\alpha^*pol))$	$1+(Z^*(1-\beta^*pol))-(L^*(1-\alpha^*pol))-BB$	$1+(Z^*(1-\beta^*pol-S))-(L^*(1-\alpha^*pol))$	$1+(Z^*(1-\beta^*pol-S))-(L^*(1-\alpha^*pol))-BB$
P,NG, Pol, BI	$1+(Z^*(1-\beta^*pol))-pc+BP^*Poly$	$1+(Z^*(1-\beta^*pol))-pc-BB+BP^*Poly$	$1+(Z^*(1-\beta^*pol-S))-pc+BP^*Poly$	$1+(Z^*(1-\beta^*pol-S))-pc-BB+BP^*Poly$	$1+(Z^*(1-\beta^*pol))-(L^*(1-\alpha^*pol))-pc+BP^*Poly$	$1+(Z^*(1-\beta^*pol))-(L^*(1-\alpha^*pol))-pc-BB+BP^*Poly$	$1+(Z^*(1-\beta^*pol-S))-(L^*(1-\alpha^*pol))-pc+BP^*Poly$	$1+(Z^*(1-\beta^*pol-S))-(L^*(1-\alpha^*pol))-pc-BB+BP^*Poly$
P, G, Npol	$1+(Z^*(1-\beta^*pol))-gc$	$1+(Z^*(1-\beta^*pol))-gc-BB$	$1+(Z^*(1-\beta^*pol-S))-gc$	$1+(Z^*(1-\beta^*pol-S))-gc-BB$	$1+(Z^*(1-\beta^*pol))-(L^*(1-\alpha^*pol))+S-gc$	$1+(Z^*(1-\beta^*pol))-(L^*(1-\alpha^*pol))+S-gc-BB$	$1+(Z^*(1-\beta^*pol-S))-(L^*(1-\alpha^*pol-S))+S-gc$	$1+(Z^*(1-\beta^*pol-S))-(L^*(1-\alpha^*pol-S))+S-gc-BB$
P, G, Pol, BI	$1+(Z^*(1-\beta^*pol))-gc-pc+BP^*Poly$	$1+(Z^*(1-\beta^*pol))-gc-pc-BB+BP^*Poly$	$1+(Z^*(1-\beta^*pol-S))-gc-pc+BP^*Poly$	$1+(Z^*(1-\beta^*pol-S))-gc-pc-BB+BP^*Poly$	$1+(Z^*(1-\beta^*pol))-(L^*(1-\alpha^*pol))+S-gc-pc+BP^*Poly$	$1+(Z^*(1-\beta^*pol))-(L^*(1-\alpha^*pol))+S-gc-pc-BB+BP^*Poly$	$1+(Z^*(1-\beta^*pol-S))-(L^*(1-\alpha^*pol-S))+S-gc-pc+BP^*Poly$	$1+(Z^*(1-\beta^*pol-S))-(L^*(1-\alpha^*pol-S))+S-gc-pc-BB+BP^*Poly$

Rock-Paper-Scissor relationship with eight players



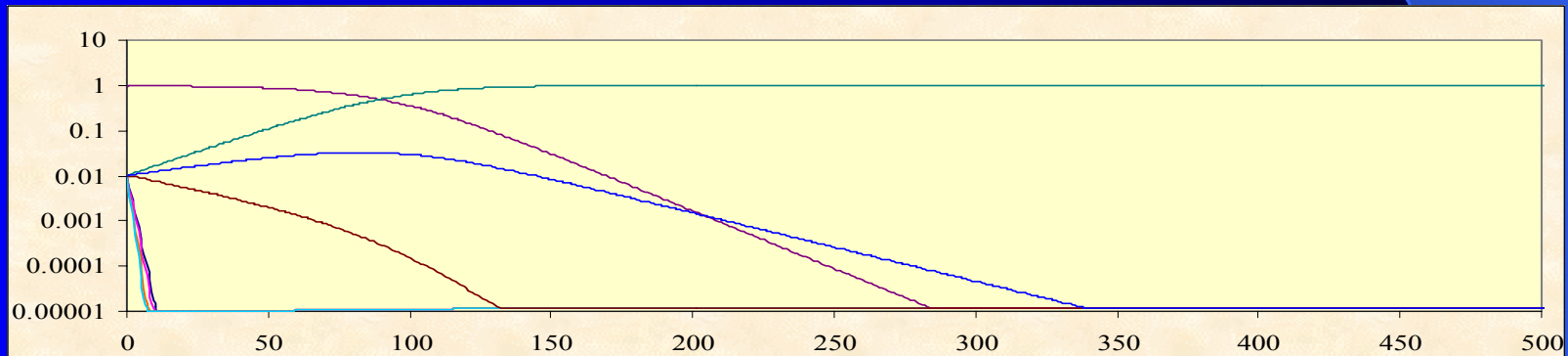
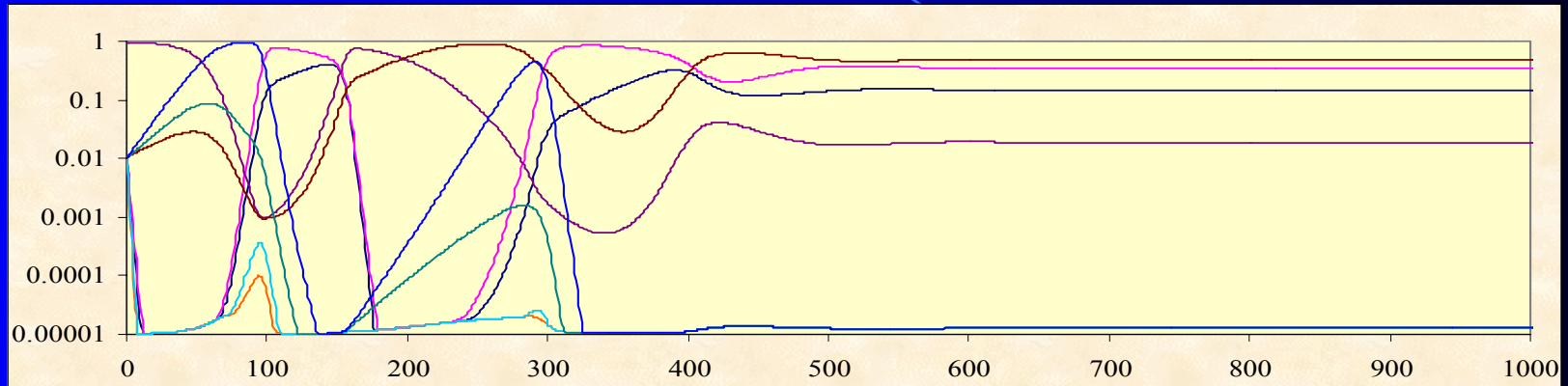


- A) Succession of all 8 players



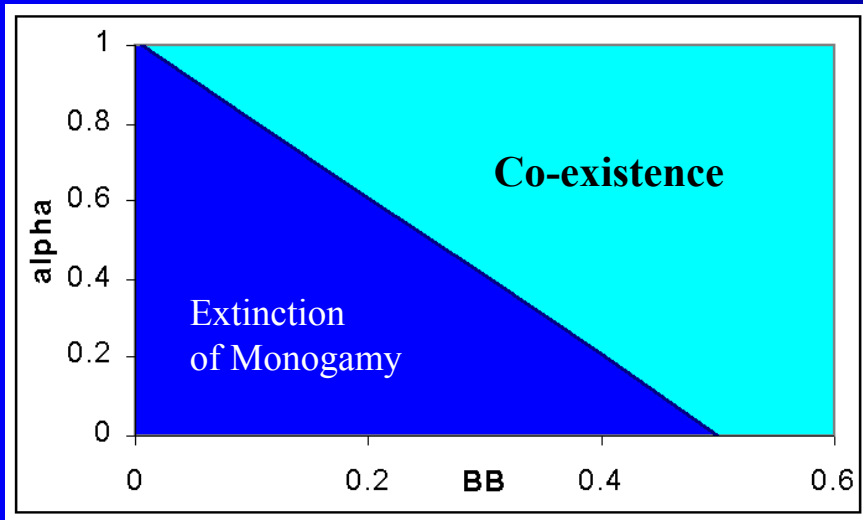
- B) Steady state co-existence

Blackmailing: the keystone strategy

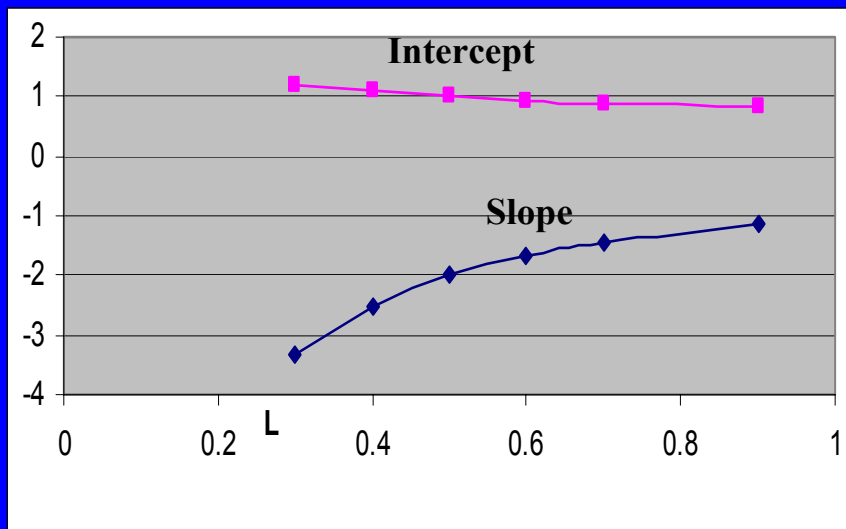


If blackmailing gains are zero, polygamy with mate guarding is the only ESS

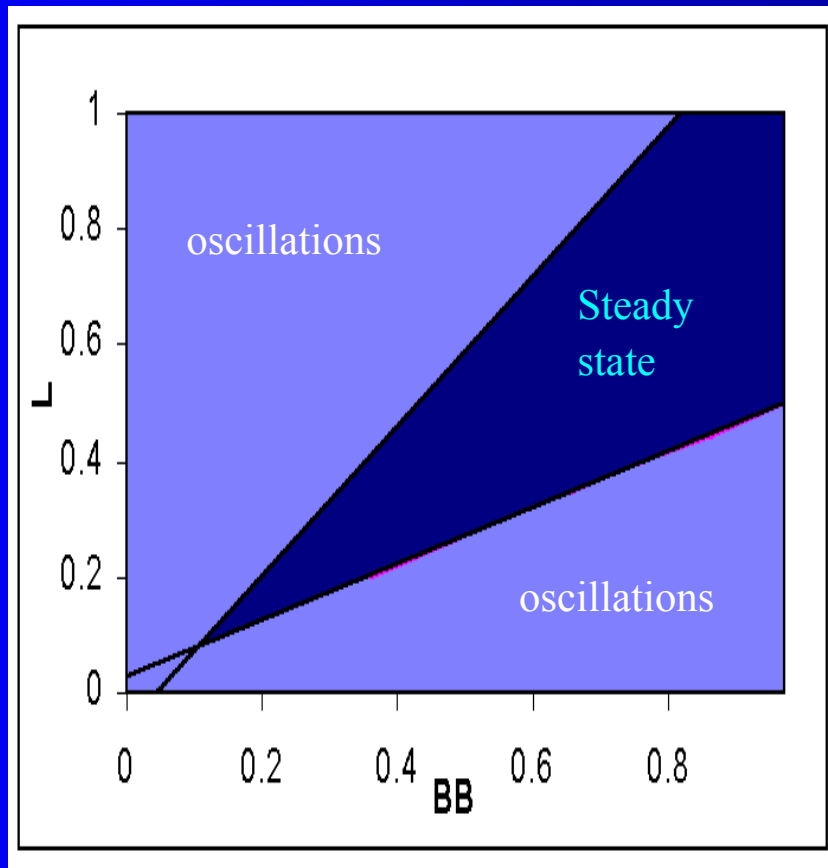
Parameter areas for co-existence



- Both co-operative mate guarding and punishment contribute to coexistence
- Punishment more effective than mate guarding
- If benefits and losses of polygamy are small, punishment is the only effective strategy. Mate guarding doesn't help



Parameter area for steady state co- existence



- Greater benefit of polygamy helps stabilize the system, needs greater punishment
- Optimum level of punishment for stability

Gender Difference Model

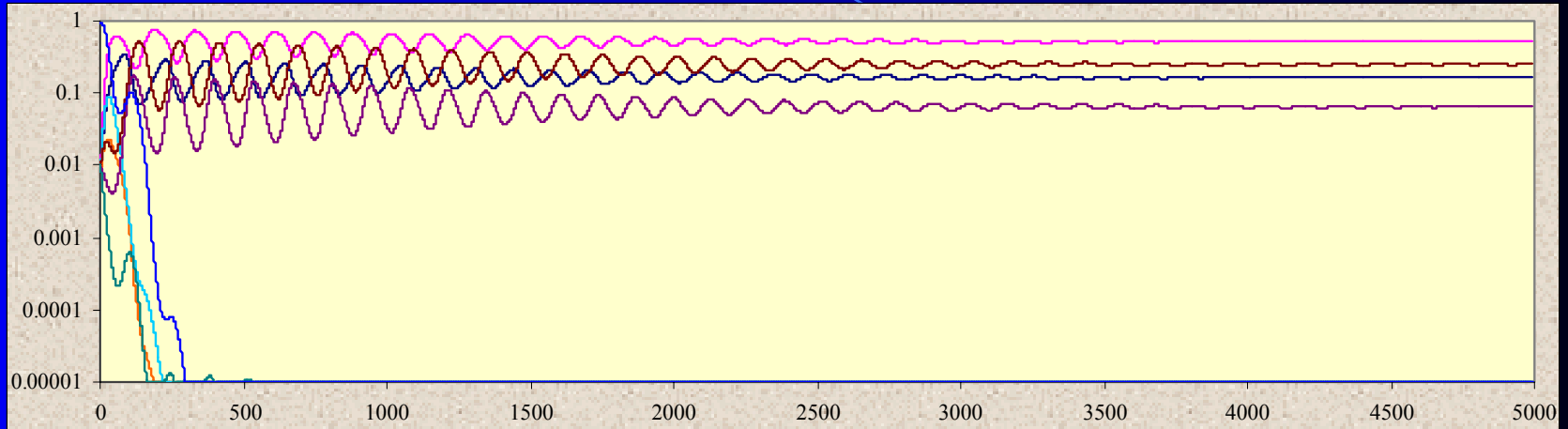
- Assumptions:

1. Benefit of EPM greater for males
2. Loss due to cuckoldry greater for males
3. Social punishment costlier for females

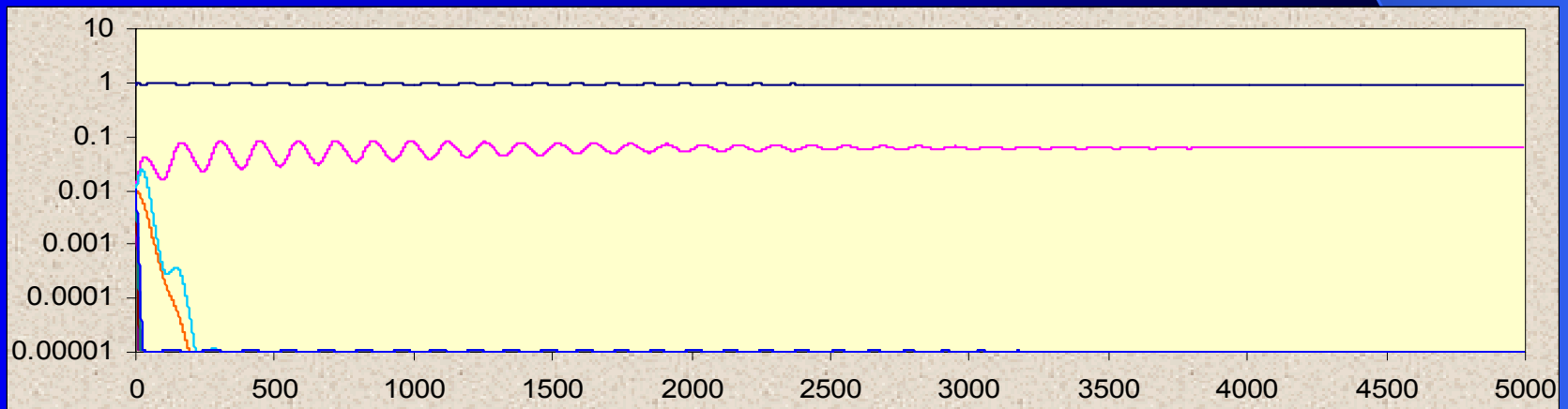
- Results:

1. Polymorphism in both genders
2. Dominant strategies different

Stable polymorphism in both genders

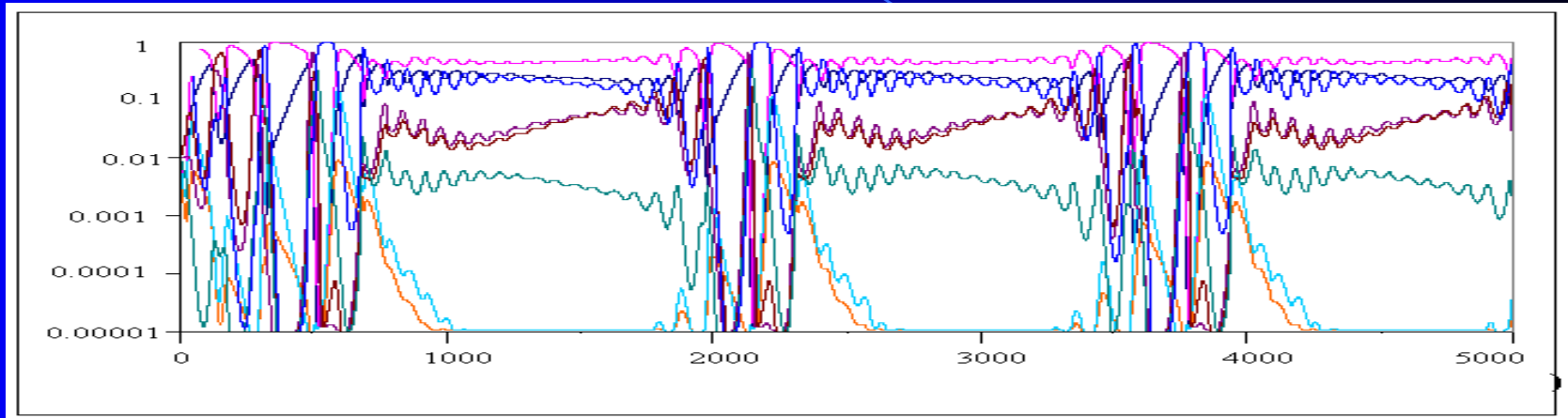


● Male

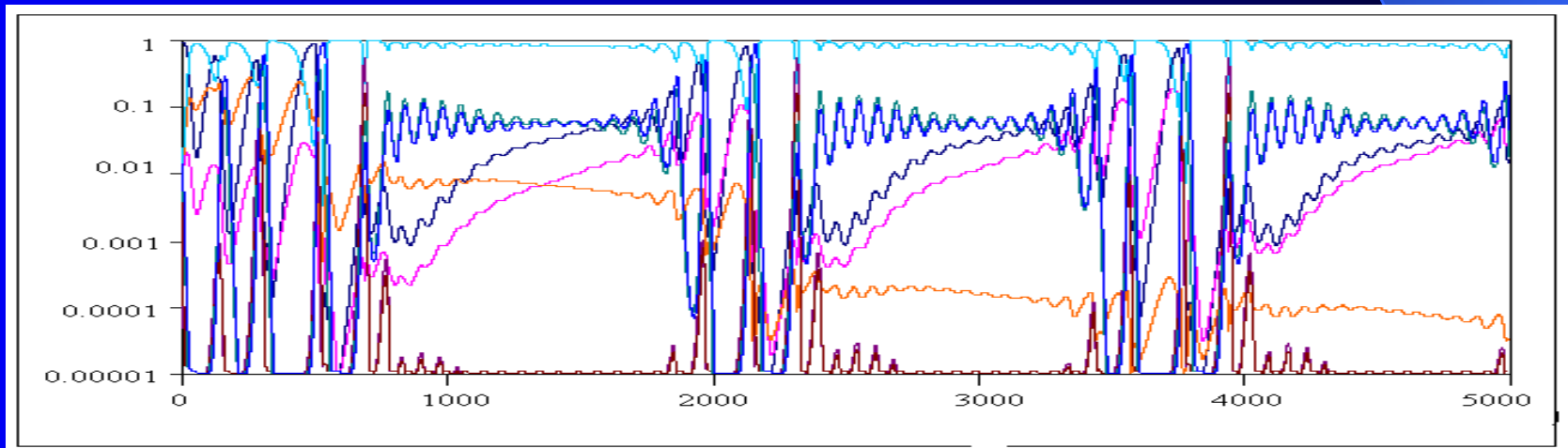


● Female

Complex patterns seen as model complexity grows



● Male



● Female

No gender specific stereotypes

- By Darwinian forces alone, there will be behavioral variance in both genders
- And yet there will be gender differences



Explaining both intra and inter-gender variability

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THANK YOU!
